

Introduction to dynamic semantics Session 4: Anaphora

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2 Plural anaphora in DRT

3 Reciprocals in DRT

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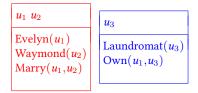




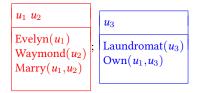
(1) Evelyn marries Waymond. She owns a laundromat.

 $u_1 \ u_2$ Evelyn (u_1) Waymond (u_2) Marry (u_1, u_2)

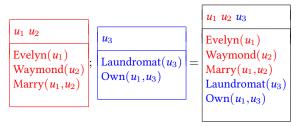






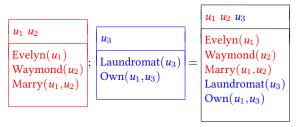


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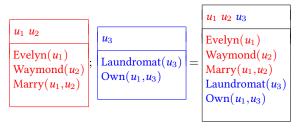
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(1) Evelyn marries Waymond. She owns a laundromat.



Q: Does She in the second sentence introduce its own dref?

(1) Evelyn¹ marries Waymond. She₁ owns a laundromat.



Q: Does She in the second sentence introduce its own dref?



Problem:

(2) It mooed.



Problem:

(2) It mooed.

What is the DRS for this sentence?



Problem:

(2) It mooed.

What is the DRS for this sentence?





(3) Pedro¹ is in a^2 bar.



- (3) Pedro¹ is in a^2 bar.
- (4) Every³ woman who ever dated a^4 man despises him⁵.



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- (4) Every³ woman who ever dated a^{4} man despises him⁵.

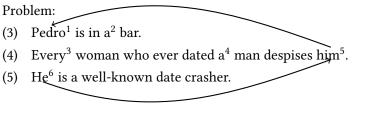


- (3) Pedro¹ is in a^2 bar.
- (4) Every³ woman who ever dated a^{4} man despises him⁵.
- (5) He^6 is a well-known date crasher.



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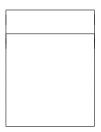




Alternative:



Alternative:





Alternative:

(6) Evelyn marries Waymond. She owns a laundromat.

 $u_1 u_2$ Evelyn (u_1) Waymond (u_2) Marry (u_1, u_2)



Alternative:

(6) Evelyn marries Waymond. She owns a laundromat.

 $u_1 u_2 u_3 u_4$ Evelyn (u_1) Waymond (u_2) Marry (u_1, u_2) Laundromat (u_4) Own (u_3, u_4)



Alternative:

$u_1 u_2 u_3 u_4$	
	$,\partial(u_3 o {\cal A}(u_3))$



Alternative:

$u_1 u_2 u_3 u_4$	
	$,\partial(u_3 ightarrow u_1)$



Alternative:

(6) Evelyn¹ marries Waymond. She₁³ owns a laundromat.

$u_1 u_2 u_3 u_4$	
Evelyn (u_1) Waymond (u_2) Marry (u_1, u_2) Laundromat (u_4) Own (u_3, u_4)	$,\partial(u_3 ightarrow u_1)$



Abbreviations:

(7) Evelyn¹ marries Waymond. She₁³ owns a laundromat.

 $u_1 \ u_2 \ u_3 \ u_4$

Evelyn (u_1) Waymond (u_2) Marry (u_1, u_2) $\partial(u_3 \rightarrow \mathcal{A}(u_3))$ Laundromat (u_4) Own (u_3, u_4)



Abbreviations:

(7) Evelyn¹ marries Waymond. She₁³ owns a laundromat.

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Abbreviations:

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Abbreviations:

(7) Evelyn¹ marries Waymond. She₁³ owns a laundromat.

 $u_1 u_2 u_3 u_4$ Evelyn (u_1) Waymond (u_2) Marry (u_1, u_2) $u_3=u_1$ Laundromat (u_4) Own (u_3, u_4)



(8) It mooed.



(8) It mooed.

$$\boxed{\frac{u_1}{\text{Mooed}(u_1)}}, \partial(u_1 \to \mathcal{A}(u_1))$$



(9) Pedro¹ is in a^2 bar.



- (9) Pedro¹ is in a^2 bar.
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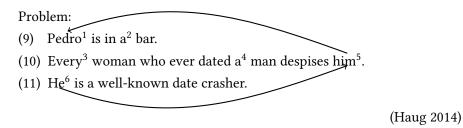


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What about reflexives?

(12) Evelyn surprised herself.



What about reflexives?

(12) Evelyn¹ surprised herself₁².

$u_1 u_2$	
Evelyn (u_1) Surprised (u_1, u_2)	$,\partial(u_2 ightarrow \mathcal{A}(u_2))$



What about reflexives?

(12) Evelyn¹ surprised herself₁².

$$\boxed{\begin{array}{c} u_1 \ u_2 \\ \hline \text{Evelyn}(u_1) \\ \text{Surprised}(u_1, u_2) \end{array}}, \partial(u_2 \to \mathcal{A}(u_2))$$

Refer to Dalrymple et al. (2018) for an implementation in LFG.



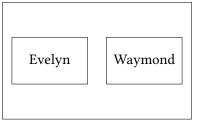


2 Plural anaphora in DRT

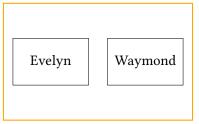
3 Reciprocals in DRT

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Problem:

(13) Evelyn and Waymond thought they had won.



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This sentence is ambiguous. What are the possible readings of this sentence?



Problem:

(13) Evelyn and Waymond thought they had won.

This sentence is ambiguous. What are the possible readings of this sentence?

- Evelyn and Waymond each thought: "I won." (bound reading)
- 2 Evelyn and Waymond each thought: "We won." (group identity reading)

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Problem:

(14) Evelyn and Waymond thought they had won.

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(14) Evelyn and Waymond thought they had won.

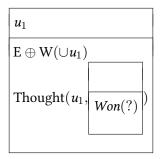
What is the DRS for this sentence?



Problem:

(14) Evelyn and Waymond thought they had won.

What is the DRS for this sentence?







(15) Evelyn and Waymond thought they had won.Reading: Evelyn and Waymond each thought: "I won."



(15) Evelyn and Waymond thought they had won.Reading: Evelyn and Waymond each thought: "I won."

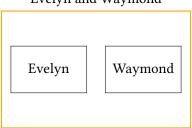




(16) Evelyn and Waymond thought they had won.Reading: Evelyn and Waymond each thought: "We won."



(16) Evelyn and Waymond thought they had won.Reading: Evelyn and Waymond each thought: "We won."

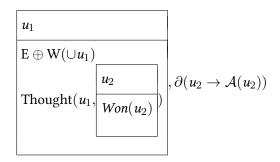




(17) Evelyn and Waymond thought they had won.Reading: Evelyn and Waymond each thought: "I won."



(17) Evelyn and Waymond thought they had won.Reading: Evelyn and Waymond each thought: "I won."

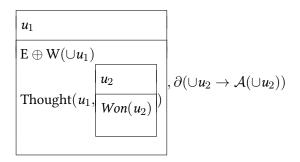




(18) Evelyn and Waymond thought they had won.Reading: Evelyn and Waymond each thought: "We won."



(18) Evelyn and Waymond thought they had won.Reading: Evelyn and Waymond each thought: "We won."







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Reciprocals have a cumulative coreference constraint and a case-wise non-coreference constraint.



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$$\frac{u_1 \ u_2}{\mathbb{R} \oplus J(\cup u_1)}, \frac{\partial(\cup u_2 \to \mathcal{A}(\cup u_2)), \partial(u_2 \neq \mathcal{A}(u_2))}{\text{Like}(u_1, u_2)}$$



Reciprocals have a cumulative coreference constraint and a case-wise non-coreference constraint.

$$\begin{array}{c}
u_1 \ u_2 \\
R \oplus J(\cup u_1) \\
Like(u_1, u_2) \\
\cup u_2 = \cup \ u_1 \\
u_2 \neq u_1
\end{array}$$



Reciprocals have a cumulative coreference constraint and a case-wise non-coreference constraint.

$$u_1 \ u_2$$

$$R \oplus J(\cup u_1)$$

$$Like(u_1, u_2)$$

$$\cup u_2 = \cup u_1$$

$$u_2 \neq u_1$$

	u_1	u_2
s_1	R	J
s_2	J	R









• Anaphors get resolved at a separate presuppositional rather than semantic layer.





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- Reflexives behave like pronouns, subject to additional syntactic constraints.
- Plural anaphors have bound readings and group identity readings.
- Reciprocals have a cumulative coreference constraint and a case-wise non-coreference constraint.

Further reading



1 Haug (2014) on partial CDRT

2 Haug and Dalrymple (2020) on reciprocals



- Dalrymple, Mary, Dag Haug, and John Lowe. 2018. Integrating LFG's binding theory with PCDRT. *Journal of Language Modelling* 6:87–129.
- Haug, Dag T. T. 2014. Partial dynamic semantics for anaphora: Compositionality without syntactic coindexation. *Journal of Semantics* 31:457–511.
- Haug, Dag Trygve Truslew, and Mary Dalrymple. 2020. Reciprocity: Anaphora, scope, and quantification. *Semantics and Pragmatics* 13:1–62.